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E'	114	$L_{loc}^1(\mu) \dots$	9
E''	114	$\hat{L}_{loc}^1(\lambda, E) \dots$	146
E^*	114	$\hat{L}_{loc}^1(\mu) \dots$	45, 119
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E^+	5	$\hat{L}_{loc}^1(\lambda, E) \dots$	146
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