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Erratum to

J. Serre: Algebraic Groups and Class Fields, ISBN 978-1-4612-6993-9, copyright 1988

p.18, line -8. Replace *varieites* by *varieties*.

p.36, line 4. Replace $N_Q f$ by Nf .

p.36, line 6. After *with g* insert *;* the letter N means $N_Q = N_{L/K}$.

p.36, line-9. In the displayed formula, replace $>$ by $<$.

p.108, line -2. Replace *Châtalet* by *Châtelet*.

p.154, line 9. Replace *non-published* by *unpublished*.

p.160, line 5. Replace *We mention a recent paper* by *Let us also mention a paper*.

p.202, reference 86. Replace *finis* by *fini*.

p.202, reference 90. Replace *algèbre* by *algèbre*.