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Fine Topology Methods in Real Analysis and Potential Theory

Errata

page	instead of	should be
2 ⁶	$r_{n+1} + k^{-1}$	$r_n + k^{-1}$
6, 7	[,]	[,]
42	"	"
9 ¹²	of.	cf.
34 ⁵	$\beta X = X = \emptyset = ibX$	$\beta X = X \neq \emptyset = ibX$
39 ₄	$A \subset X$	$A \subset X$
51 ⁵	$A \ni x \rightarrow 0$	$A \ni x \rightarrow 0$
64 ₃	that the set	that $f_n \rightarrow f$ and the set
72 ₃	from	from \mathcal{H}
72 ₁	\mathcal{F}^\dagger	the family of all real functions from \mathcal{F}^\dagger
73 ¹	"	"
82 ⁷	lead	led
97 ₃	staight	straight
144 ₃		(iv)(a) every open connected set is τ -connected, (b) if V and W are disjoint τ -open τ -connected sets, then $V \cap \bar{W} = \emptyset$.
149 ⁹	Remark 6.16.a	Remark 6.16
152 ₈	$d^e(x, M)$	$d^e(x, \mathbb{R} \setminus M)$
155 ₆	$x \in F \setminus G$	$x \in F \cap G$
171 ¹⁴	Theorem 8.1	Ch. II, §32
176 ¹⁵	D. Preiss (1981)	D. Preiss (1983)
179 ₄	G -insertion	G_δ -insertion
187 ₆	$\lambda_n K_i$	$\lambda_n(K_i)$
187 ₄	ohne	one

page	instead of	should be
189 ¹²	M. Chlebík (1984)	M. Chlebík
217 ¹⁴	$L(A) = \{x \in X : x \in \text{int}_\tau(A \cup \{x\})\}$	$L(A) = \text{int}_\tau \overline{A}^\tau$
252 ₁₅	Let (X, ρ) be a metric space.	Let (X, ρ) be a metric space and (\mathfrak{M}, m) be on $P = X$ as in Section 6B, p. 163
252 ₁₄	on X	on (X, \mathfrak{M}, m)
252 ₁₃	the condition (ω) of Section 6.C	the condition (i) of 6.34 (D)
253 ₁₀	on $(\mathbb{R}, \mathfrak{M}, \lambda)$	on \mathbb{R}
261 ¹⁰	$(0, 1)$	\mathbb{R}
261 ¹²	"	"
262 ¹⁵	M. Laczkovich and G. Petruska	G. Petruska and M. Laczkovich
263 ₁₀	Lebesgue point	Lebesgue bounded
263 ₈	"	"
267 ₁₀	type G	type G_δ
293 ₁₃	$P = \overline{H}$	$P = M \times [0, +\infty)$
343 ₆	function on	function f on
343 ₆	at f	at
346 ₁₄	$M \ni y \rightarrow x$	$M \ni y \rightarrow x$
351 ₅	11.B.1c	11.B.1d
358 ₄	11.D.2b	10.D.2b
372 ₂	locally bounded	locally lower bounded
374 ¹¹	12.A.6	12.A.6
374 ₃	(e)	
400 ¹²	form	from
449 ₈	characterisation	characterization