

ADDENDUM to
ITERATION PRODUCTS OF METHODS OF SUMMABILITY
AND NATURAL SCALES

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I should like to thank Professor David Borwein for pointing out to me that the method which, in [2], I have called (CL, k) , and which is in fact the functional Hölder method (H, k) , was proved to be equivalent to the Cesàro method (C, k) by W.W. Rogosinski [1]. Rogosinski's proof is indirect, making use of Hausdorff methods, whereas my proof is direct. Accordingly, the "natural scale" results of [2] can be written as follows :-

$$\begin{aligned}(C, \lambda, -\mu)(C, \mu) &= (C, \lambda + \mu), \quad \dagger \\ (H, \lambda)(H, \mu) &= (H, \lambda + \mu), \\ (H, \lambda)(BL, \alpha, \beta) &= (BL, \alpha, \beta + \lambda), \\ (C, \lambda - \mu, \mu)(A_\lambda) &= (A_\mu) .\end{aligned}$$

REFERENCES.

1. ROGOSINSKI, W.W.: On Hausdorff's methods of summability, II, Proc. Cambridge Philos. Soc. 38, 344-363 (1942).
2. SHAWYER, B.L.R.: Iteration products of methods of summability and natural scales, Manuscripta Math.

† This was erroneously written as $(C, \lambda)(C, \mu) = (C, \lambda + \mu)$ in [2].

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