

## *Erratum*

### **Uniform Approximation by Meromorphic Functions Having Prescribed Poles**

Math. Ann. **243**, 83–93 (1979)

I am indebted to Paul Gauthier for pointing out that the proof of Lemma 13 of the above-cited paper is incorrect as written. The following will correct the proof.

Suppose  $X$  is a compact Riemann surface,  $Y$  is an open subset of  $X$  which we may think of as a possibly disconnected Riemann surface, and  $Z$  is a relatively closed subset of  $Y$ . Denote by  $\partial_X^\infty Z$  the compact set  $\bar{Z} - Z = \bar{Z} - Y = \partial Z - Z$ , where closures and boundaries are relative to  $X$ . Thus, the points of  $\partial_X^\infty Z$  are at  $\infty$  as far as the set  $Z$  and the surface  $Y$  are concerned. In the proof of Lemma 13 the symbol “ $\partial^\infty$ ” should be written in place of “ $\partial$ ” wherever the latter occurs.