

Erratum to

DERIVATION ALGEBRAS OF JB-ALGEBRAS

manuscripta math. 30, 199-214 (1979)

Harald Upmeyer

The proof of Th. 1.5 for the case of JBW-algebras  $X$  of type  $I_2$  has to be slightly modified. As pointed out by P.J. Stacey [2]  $X$  is a direct product of algebras  $U \approx L^\infty(S, \mu; V_k)$ , where  $S$  is a Stone space supporting a normal positive measure  $\mu$  and  $V_k = \mathbb{R} \oplus Y_k$  is the real spin factor of Hilbert dimension  $k+1$ . If  $3 \leq k < \infty$  the given proof (case 2) applies to  $U \approx C(S, V_k)$ . If  $k$  is infinite (case 3) consider the real  $W^*$ -algebra tensor product  $A := L^\infty(S, \mu; \mathbb{R}) \bar{\otimes} L(Y_k)$ . Then  $\mathfrak{a} := \text{aut}(U) \approx \{ D \in A : D^* = -D \}$ . Since  $A \approx A \bar{\otimes} L(Y_j)$  whenever  $1 \leq j \leq \aleph_0$ , it follows from [1; p. 512] and Lemma 1.4.i that  $\mathfrak{a} = [\mathfrak{a}, \mathfrak{a}]$ . Further, 1.4.ii implies  $\text{center}(\mathfrak{a}) = 0$ .

- [1] Saitô, T.: Generation of von Neumann algebras. In: Lect. Notes in Math. 247. Berlin-Heidelberg-New York: Springer 1972
- [2] Stacey, P.J.: Type  $I_2$  JBW-algebras. Preprint La Trobe University 1980.

H. Upmeyer  
Mathematisches Institut  
Universität Tübingen  
Auf der Morgenstelle 10  
D-7400 Tübingen  
Bundesrepublik Deutschland

(Received August 28, 1979)

0025-2611/80/0032/0211/\$01.00